

## Stochastic and Integral Geometry II

### Exercise Sheet 10

Please hand in your solutions at the end of the lecture on **Tuesday, July 3rd**.

#### Exercise 1

Let  $X$  be a stationary Poisson-Voronoi mosaic. Consider the process  $\tilde{X}$  of midpoints of the circumspheres of the cells. Is  $\tilde{X}$  a Poisson process?

#### Exercise 2

Let  $X$  be a stationary and isotropic mosaic in  $\mathbb{R}^d$ ,  $X^{(k)}$  be the process of the  $k$ -faces and  $L$  be a  $q$ -dimensional linear subspace of  $\mathbb{R}^d$ . Show that  $X \cap L$  is a stationary and isotropic mosaic and

$$\bar{V}_j((X \cap L)^{(r)}) = \alpha_{djq} \bar{V}_{d+j-q}(X^{(d+r-q)}), \quad \text{for } 0 \leq j \leq r \leq q \leq d-1.$$